

PLL ALGORITHMS

FOR PERSONAL USE ONLY

CONTENTS:

Page 1- Information

Page 2- Corner Permutations

Page 3-Edge Permutations

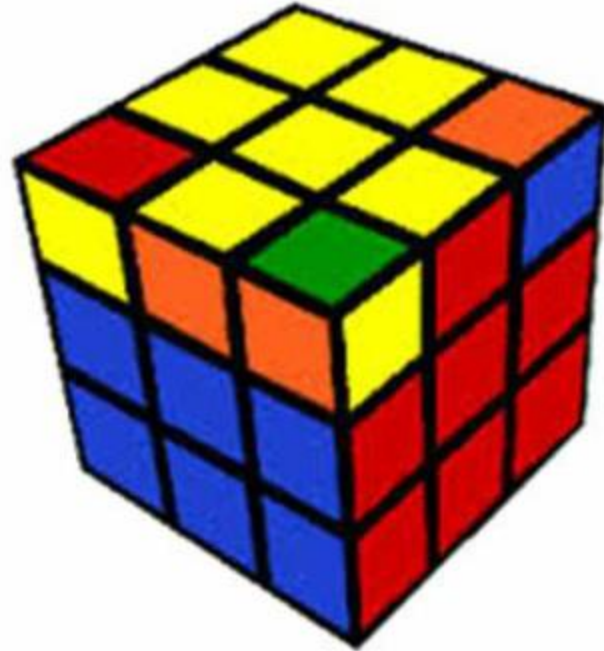
Page 4-G Permutations

Page 5- J Permutations

Page 6- N Permutations

Page 7- R Permutations

Page 8-Other Permutations



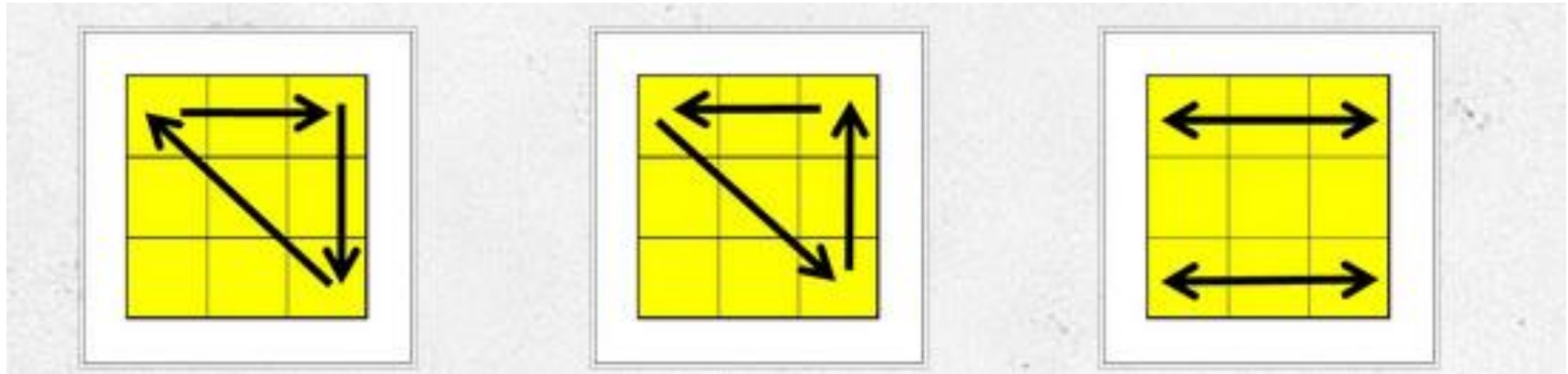
FSCUBING

Information

PLL is the fourth and final stage of the CFOP Method. PLL stands for Permuting Last Layer. This is probably one of the easiest steps of the method, because there are only 21 different algorithms. Although some cases may be hard to recognise at first, it just comes with practice and you should be able to learn full PLL in a couple of weeks at the most. I highly recommend learning full OLL and F2L first, so you have a starting point for the CFOP Method. I also recommend that you have learnt them all completely and can finger-trick them well. This is because PLL is the last step and in my opinion, the easiest step to learn, and once you have done OLL, you can go straight into PLL without much hesitation. For any algorithms displayed with something like $r2$, $R2$, do an M slice move like $M2$. This is much easier than having to do the complete algorithm. Remember: M is homologous to L, E is homologous to D and S is homologous to F. M Slices come with practice, as well as S and E slices, but S and E slices are very rarely ever used in cubing. I would use my less- dominant hand to do any M slice moves, and my dominant hand to do U, R or F moves in between M slices. As with OLL, I would learn 2-Look PLL first (link at the bottom of the page) to already give you 4 of the 21 algorithms.



Algorithms- Corner Permutations



Case #1

Case #2

Case #3

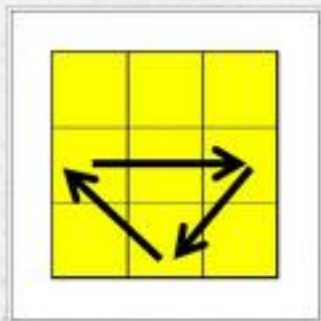
Case #1- (x), R', U, R', D2, R, U', R', D2, l2, (x)

Case #2- (x), R2, D2, R, U, R', D2, R, U', l

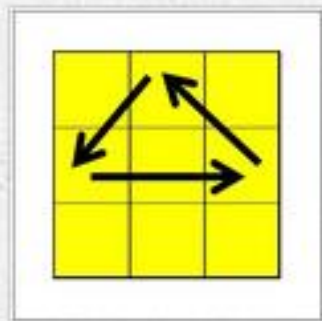
Case #3- l', U', L', U, R, U', L, U, R', U', L, U, R, U', L', U, (x')



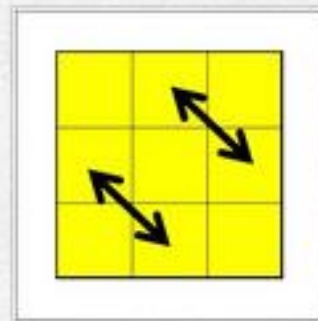
Algorithms- Edge Permutations



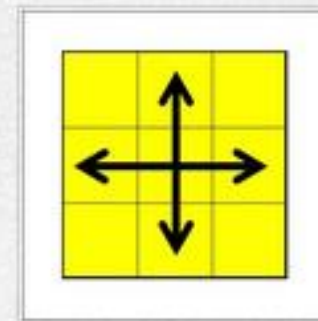
Case #1



Case #2



Case #3



Case #4

Case #1- $R2', U, R, U, R', U', R', U', R', U, R'$

Case #2- $R2, U', R', U', R, U, R, U, R, U', R$

Case #3- $R', U', R, U', R, U, R, U', R', U, R, U, R2, U', R', U2$

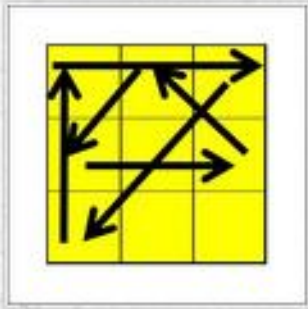
Case #4- $r2, R2', U, r2, R2, U2, r2, R2, U, r2, R2$

(For Case #4, you could also do: $M2, U, M2, U2, M2, U, M2$)

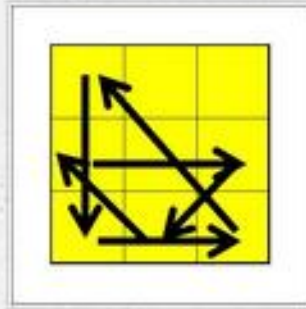


FSCUBING

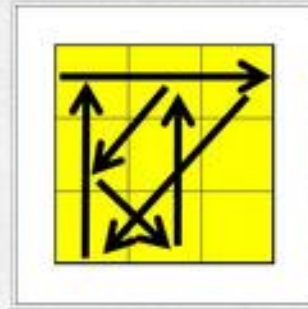
Algorithms- G Permutations



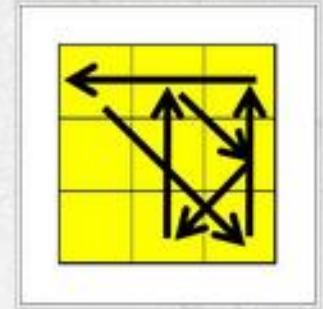
Case #1



Case #2



Case #3



Case #4

Case #1- R2', u, R', U, R', U', R, u', R2, (y'), R', U, R

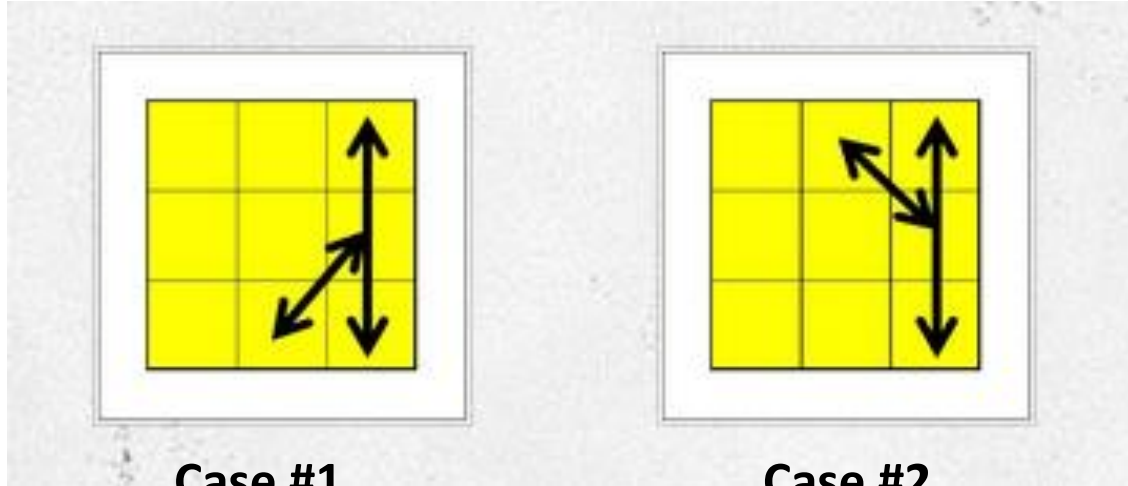
Case #2- R2, u', R, U', R, U, R', u, R2', (y), R, U', R'

Case #3- R, U, R', (y'), R2, u', R, U', R', U, R', u, R2

Case #4- L', U', L, (y'), R2', u, R', U, R, U', R, u', R2



Algorithms- J Permutations

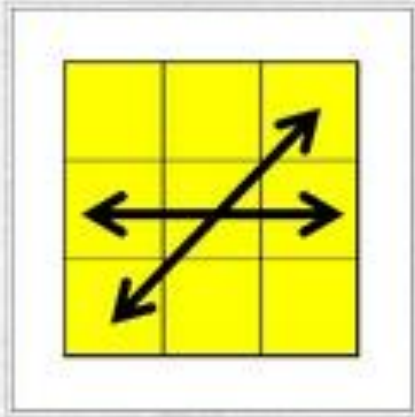


Case #1- R, U, R', F', R, U, R', U', R', F, R2, U', R', U'

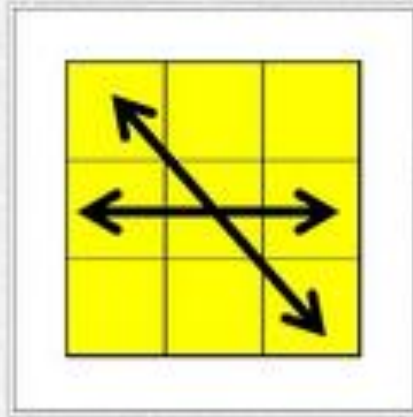
Case #2- F2', L', U', r, U2', l', U, R', U', R2, (x2)



Algorithms- N Permutations



Case #1



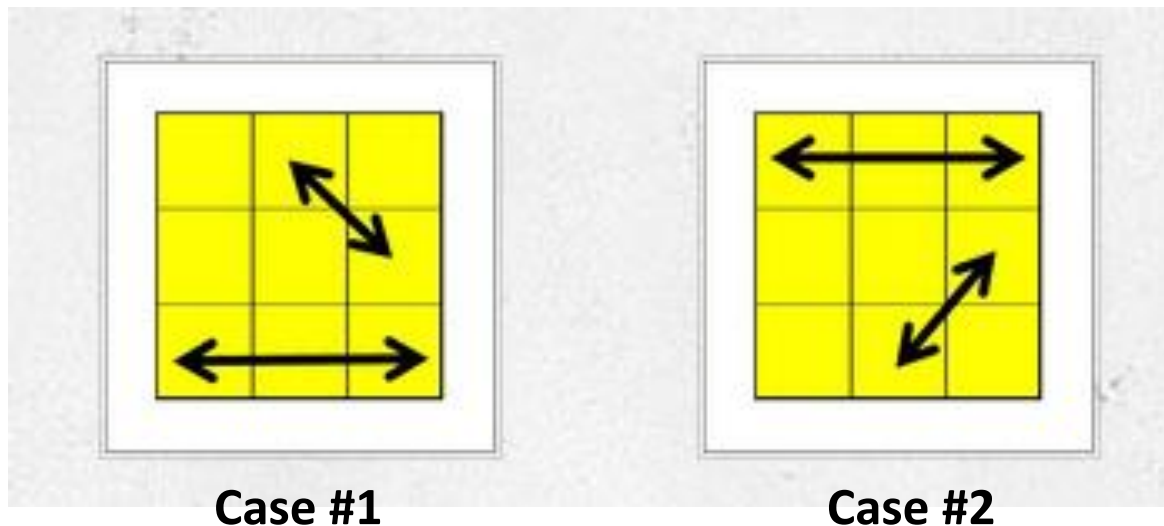
Case #2

Case #1- R, U', L, U2', R', U, L', R, U', L, U2', R', U, L'

Case #2- L', U, R', U2', L, U', L', R, U, R', U2', L, U', R



Algorithms- R Permutations

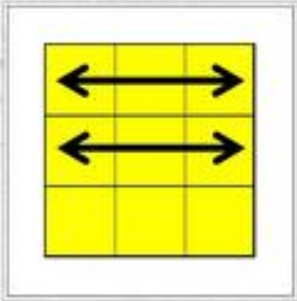


Case #1- R, U2', R', U2, R, B', R', U', R, U, l, U, R2', F, (x)

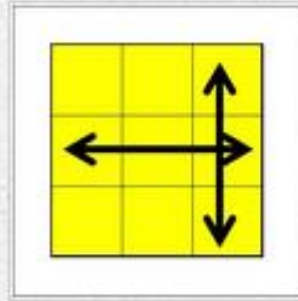
Case #2- R', U2, R, U2', R', F, R, U, R', U', R', F', R2, U'



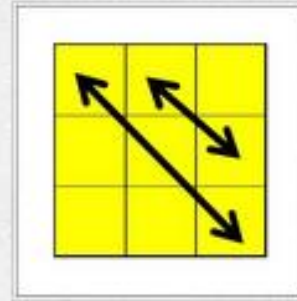
Algorithms- Other Permutations



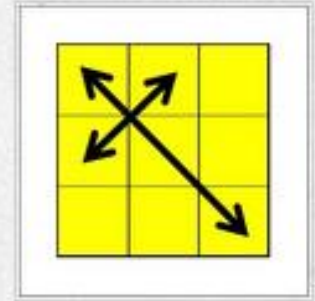
Case #1



Case #2



Case #3



Case #4

Case #1- $R', U, R, U', R^2, F', U', F, U, (x), R, U, R', U', R^2, B', (x')$

Case #2- $R, U, R', U', R', F, R^2, U', R', U', R, U, R', F'$

Case #3- $R', U, R', U', (x^2, y), R', U, R', U', l, R, U', R', U, R, U, (x)$

Case #4- $F, R, U', R', U', R, U, R', F', R, U, R', U', l', U, R, U', (x')$

